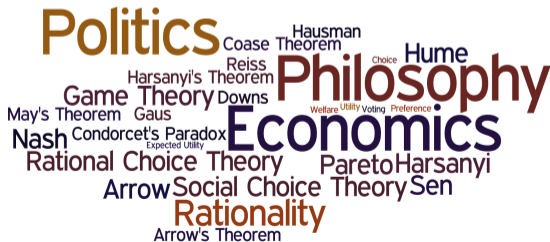


PHPE 400

Individual and Group Decision Making

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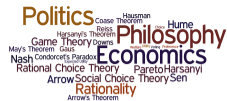
Game Theory

The Guessing Game



Guess a number between 1 & 100.
The closest to $\frac{2}{3}$ of the average wins.

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.



The Guessing Game (Round 2)



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.



The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess?

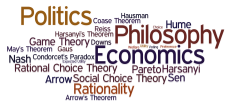
The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess? 100

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess? ~~100~~, 99

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess? ~~100~~, ~~90~~, ..., 67

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess? ~~100~~, ~~99~~, ..., ~~67~~, ..., 2, 1

The Guessing Game



Guess a number between 1 & 100.
The closest to $2/3$ of the average wins.

What number should you guess? ~~100~~, ~~99~~, ..., ~~67~~, ..., ~~2~~, **1**

Traveler's Dilemma



1. You and your friend write down an integer between 2 and 100 (without discussing).
2. If both of you write down the same number, then both will receive that amount in dollars from the airline in compensation.
3. If the numbers are different, then the airline assumes that the smaller number is the actual price of the luggage.
4. The person that wrote the smaller number will receive that amount plus \$2 (as a reward), and the person that wrote the larger number will receive the smaller number minus \$2 (as a punishment).

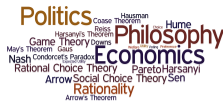
Suppose that you are randomly paired with another person from class. What number would you write down?

From Decisions to Games



What makes the previous decision problems different from standard decision problems?

From Decisions to Games



What makes the previous decision problems different from standard decision problems?

“*[T]he* fundamental insight of game theory [is] that a rational player must take into account that the players reason about each other in deciding how to play.”

R. Aumann and J. Dreze. *Rational Expectations in Games*. *American Economic Review*, 98, pp. 72-86, 2008.



Red wine

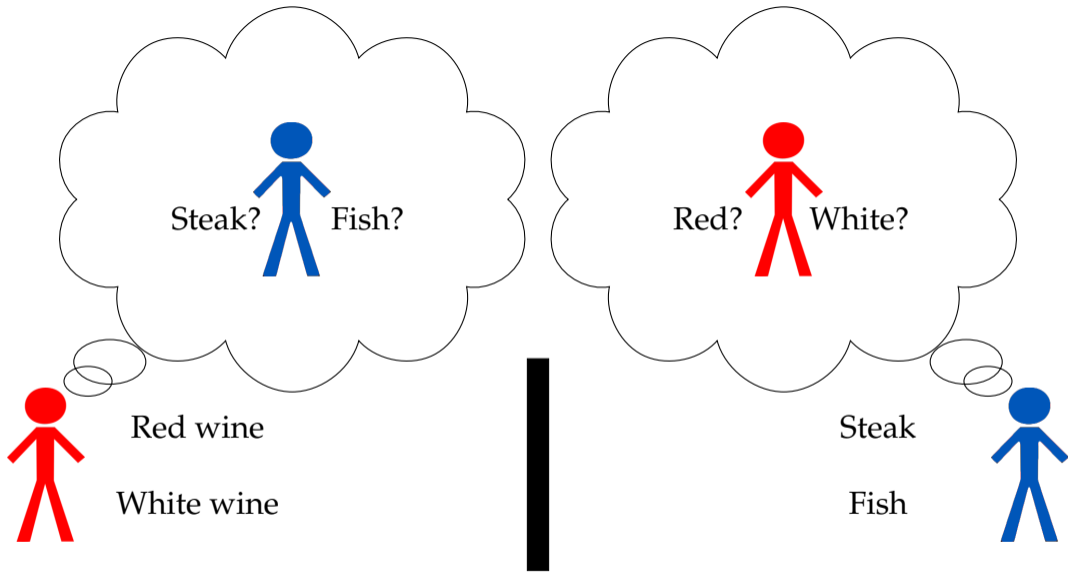
White wine

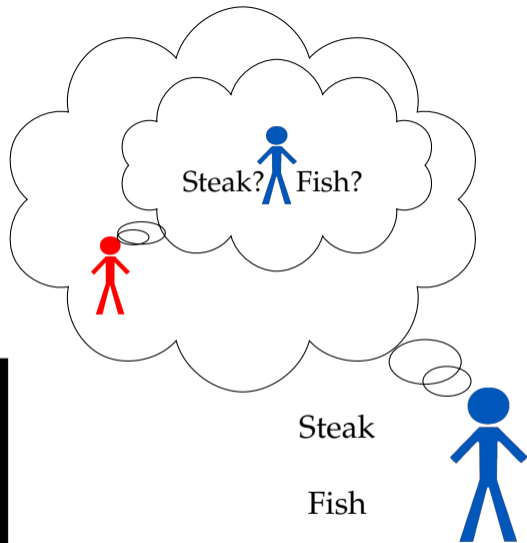
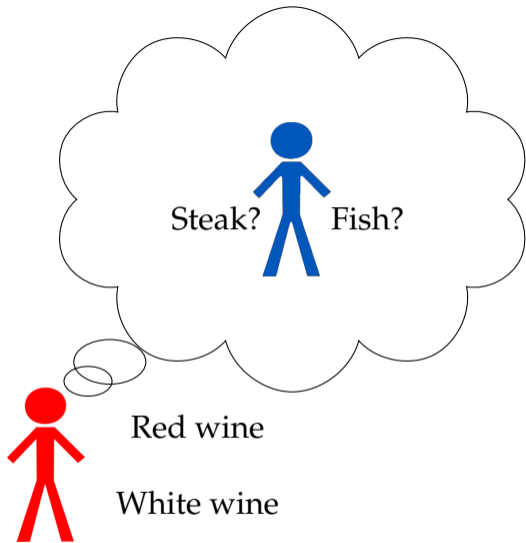


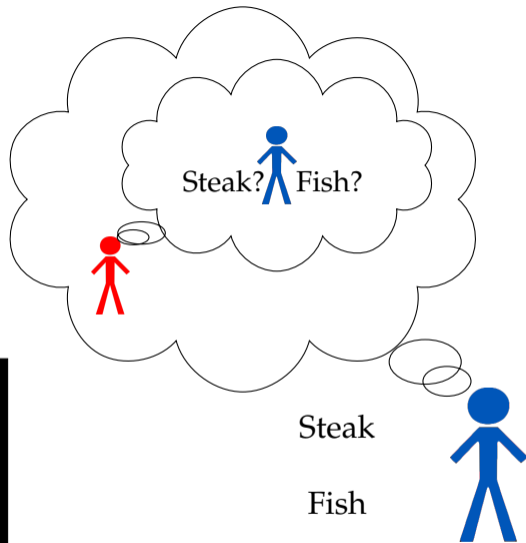
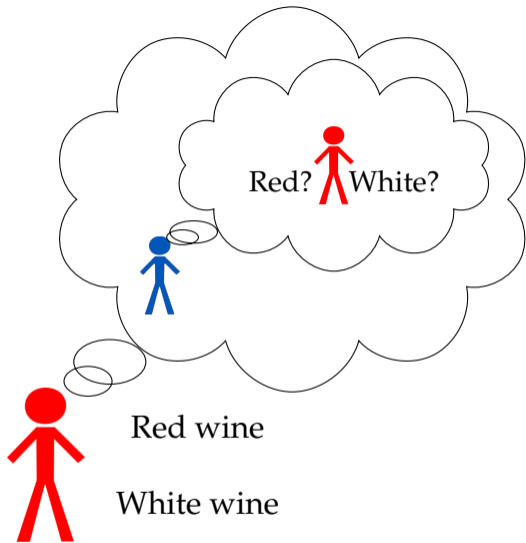
Steak

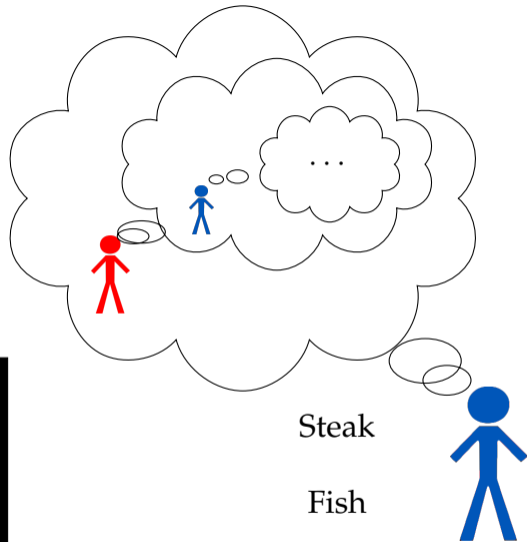
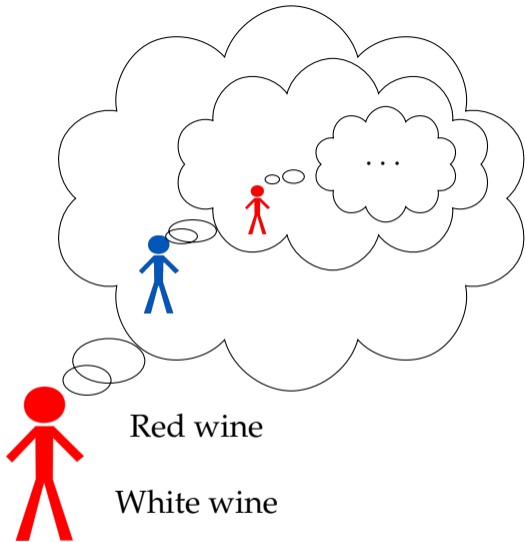
Fish











Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

- ▶ the group of players in the game

Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

- ▶ the group of players in the game
- ▶ the actions the players *can* take

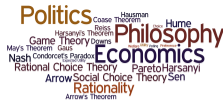
Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

- ▶ the group of players in the game
- ▶ the actions the players *can* take
- ▶ the players' interests (i.e., preferences/utilities),

Just Enough Game Theory



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- ▶ the group of players in the game
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- ▶ the “structure” of the decision problem

Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

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- ▶ the actions the players *can* take
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- ▶ the “structure” of the decision problem (what information do the players have?, what order do they act in?, how many times do they repeat their interaction?, etc.)

Just Enough Game Theory



A **game** is a mathematical model of a strategic interaction that includes

- ▶ the group of players in the game
- ▶ the actions the players *can* take
- ▶ the players' interests (i.e., preferences/utilities),
- ▶ the “structure” of the decision problem (what information do the players have?, what order do they act in?, how many times do they repeat their interaction?, etc.)

*It does **not** specify the actions that the players **do** take.*